

## Commutative Property of Addition

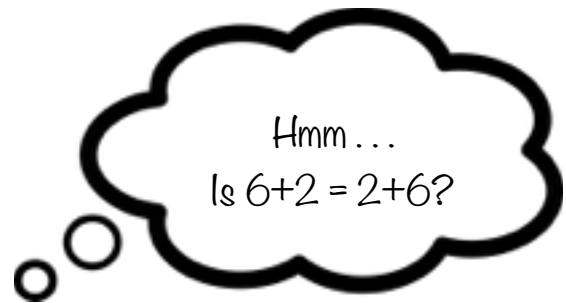
Let's model  $6+2$ .



Adding like terms together, we can see that the total is 8.



What if we modeled  $2+6$  instead?



Surprise! The total is again 8!



The models above demonstrate the **commutative property of addition**: the order in which numbers are added together does not change the sum! In other words:

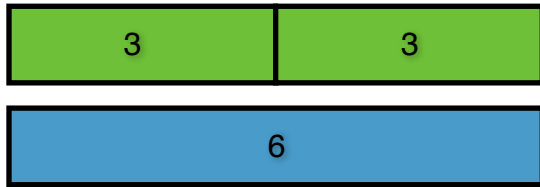
$$\mathbf{a + b = b + a.}$$

Model  $3+5$  and  $5+3$ , and show that you get the same result!

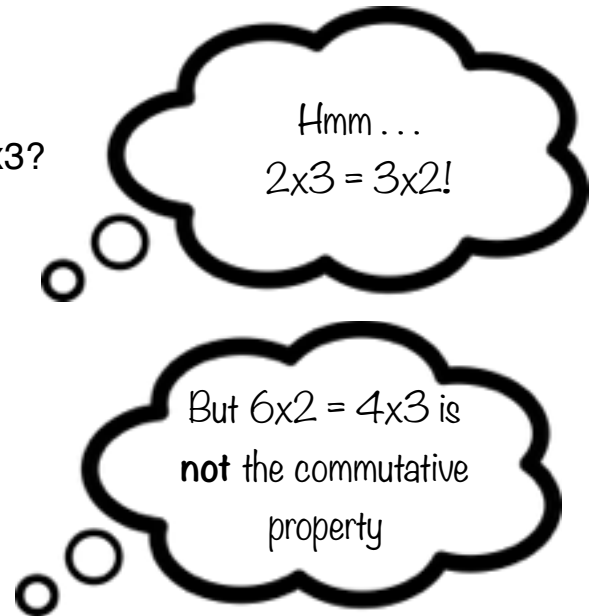


## Commutative Property of Multiplication

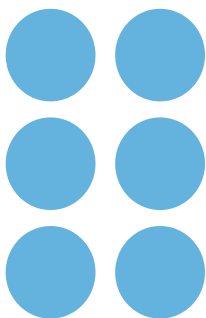
Let's consider the expression  $3 \times 2$ . As we saw in the multiplication section, this can be modeled as two groups of three:



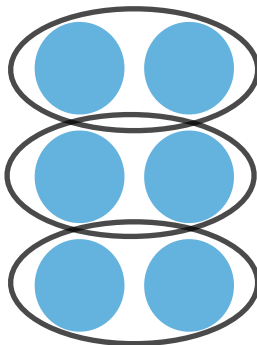
Now what if the expression was written as  $2 \times 3$ ?



The commutative property applies when you want to **change the order of the numbers** that you are multiplying. Check out the relationship:

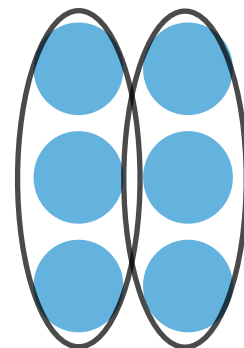


$$3 \times 2 = 2 \times 3$$



$$3 \times 2 =$$

Three groups  
of two



$$2 \times 3 =$$

Two groups  
of three

The models on the previous page demonstrate **the commutative property of multiplication**: the order in which numbers are multiplied does not change the product. In other words:

$$a \times$$

Model  $2 \times 4$ , using either circles or bars.



Now model  $4 \times 2$ , using either circles or bars.



Show that the models of  $2 \times 4$  and  $4 \times 2$  are related.

*Hint: you can use the strategies on the previous page!*

